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The author presents new and known results in the general setting of the theory of manifolds of mappings. The aim is to use  $C^\infty$  throughout and not to use Sobolev spaces in an intermediate way. Topologies on spaces of mappings are studied thoroughly, and a section on transversality on manifolds with corners is included. All the necessary background (jet bundles) is developed in detail, as is a convenient type of differential calculus on locally convex spaces. The core of the book contains those results on manifolds of mappings that can be obtained without the use of a hard implicit function theorem.

*Manifolds of Differentiable Mappings* will be of primary relevance to mathematicians researching in the fields of global analysis, dynamical systems and singularities, and to physicists with an interest in relativity.



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